A Novel Method for Remotely Sensed Hyperspectral Image Classification Based on Convolutional Neural Network

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Abstract: The Hyperspectral Images (HSI) acquired by remote sensors are characterized by hundreds of contiguous channels with high spectral resolution. Hyperspectral image classification is the process of assigning land cover classes to pixels. Classifying remotely sensed data is a challenge because many factors such as complexity of landscape, image processing and classification approaches affect the success of classification. Convolutional Neural Networks (CNN) are gaining attention due to their capability to automatically discover relevant relative features in image classification problems. The proposed approach employs totally eight layers in which four convolutional layers, two pooling layers and two Fully Connected Network (FCN) hidden layers to extract features from hyperspectral images. This method is able to extract the features invariably for their location and distortion which leads to better classification accuracy. By extracting both spatial and spectral information, the performance of the model is a promising one for high dimensional HSI with few available training data. This method has been applied to University of Pavia and Indian pines datasets. The resultant of the model demonstrates very good classification accuracy within limited number of training epochs.

Key words: Convolution layer, convolutional neural networks, deep learning, fully connected network, hyperspectral image classification, land cover classification

INTRODUCTION

Remotely sensed hyperspectral images are very much essential to meet the ever growing demand of satellite images with spectral, spatial, temporal and radiometric high resolutions. HSI captures the reflected radiation from the earth surface as series of narrow and contiguous wavelength bands. Compared to multispectral images HSI provides more rich spectral information. Images represented as three dimensional cube with respect to a scene in which x and y-axis represents spatial data and z-axis represents, the spectral data for the same scene. The richer spectral information presents, the detailed characteristics and uniqueness of the materials (Lu and Weng, 2007).

The motivation of classification is to convert continuous data into categorical information classes, describing the landscape. The classified image can be used for decision making for effective management of natural resources by linking each pixel to one or more user defined labels like vegetation, water, built up etc. Due to high dimensionality of the pixel, heterogeneity, noise, spatial and spectral redundancy, atmospheric and geometric distortions, the characteristics of the image, lead to nonlinear feature relations. All these non-linear factors with very few labelled classes make HSI classification a challenging problem. The major steps of image classification may include determination of a suitable classification system, selection of training samples, image pre-processing, feature extraction, selection of suitable classification approaches, post classification processing and accuracy assessment. The several factors such as the spectral and spatial resolution, sources of images, classification methods affects the accuracy of the classification. Various classification techniques has their own merits and demerits in each situations. Based on pixel information, images can be classified as per-pixel, sub-pixel, per-field, knowledge based, contextual and multiple classifiers. Per-pixel classifiers may be parametric or non-parametric. Based on the use of training samples, images can be classified using supervised or unsupervised or semi supervised classification methods (Kamavisdar et al., 2013).

In this study, HSI classification is carried out using CNN method which is a powerful feature learning model. It is built using stacked convolution, pooling and Fully Connected Network (FCN) layers. It learns both the hierarchical, discriminative features which helps in better
classification over hard-wired classification model. The model is adaptive, trains both feature extractor and classifier together in supervised mode. Therefore, it is most suitable for HSI classification task which is characterized by rich spectral and spatial domain information.

**Literature review:** The high number of features encountered in remote sensing HSI classification tasks from use of simple statistical classifiers, commonly employed in multispectral image classification are ineffective. Therefore, more sophisticated classifiers must be used to exploit the rich spectral information offered by HSI. In this way, different techniques have been proposed from the field of pattern recognition and artificial intelligence for handling hyperspectral data.

The broadly used Principle Component Analysis (PCA), Independent Component Analysis (ICA) focuses on spectral dimensionality reduction based classification techniques which transforms the data into new domain to extract potentially better features (Villa et al., 2011; Licciardi et al., 2012). Support Vector Machines (SVMs) is a binary classifier which assigns a test sample to any one of the class and it is a non-parametric statistical learning method. It is investigated that this technique is applied without the necessity of feature reduction process and it works better with less number of training samples (Mountrakis et al., 2011; Melgani and Bruzzone, 2004).

The Extreme Learning Machine (ELM) is a single hidden layer feed-forward neural network which is computationally efficient pattern classification approach. The weights of input to hidden layer are randomly applied and hidden to output layer weights are learnt while training which results in poor training or no solution. This weaker learner is tied with another weak learner to build strong learner. ELM used for classification of HSI is a challenge due to its high spectral data (Samat et al., 2014). Yi Cong Zhou et al. (2015) proposed, two spatial-spectral composite kernel ELM classification methods in which the spatial or spectral kernel has activation function, Gaussian based kernel, respectively for HSI classification. But the small architecture of ELM has limited distinguishing power.

Active learning can successfully reduce labelling tasks for remote sensing image classification. The active learning procedure is based on the uncertainty sampling strategy and a deep neural network. Stacked auto-encoders trained on redundant spatial and spectral features and a few labelled training samples are used to initialize a deep neural network. Uncertainty for a given sample is measured by the difference between the largest two class outputs of the neural network. The less difference there is the more uncertainty the sample has. Batch of samples with most uncertainty will be selected after label query and added into the training set. Then the neural network is retrained and such active batch selection will iterate until the budget (the upper limit of label queries) is reached (Licciardi et al., 2012). Initially, k-means clustering is employed for unsupervised learning and knowledge discovery for HSI. Training data is prepared for neural network and tested with different scenes of spatial and spectral variations. The performance of proposed ensemble classifier is analyzed in terms of overall and average accuracy. Ensemble classifier is designed by employing support vector machine and neural network to further improve the accuracy (Rudrapal and Subbedar, 2016). Granular Neural Network (GNN) in combination with the granular representation of information using linguistic terms is one such system. GNN takes the fuzzified input information and processes them with neural network architecture where the network structure is transparent enough to interpret the processing steps. Further, knowledge encoding has been considered as one of the principal elements of intelligent decision-making systems. This study proposes a new model of knowledge-encoded GNNs for land cover classification of HSI images. Knowledge encoding is done using Neighbourhood Rough Sets (NRSs) that explore the local/contextual information. The encoded knowledge using NRS is obtained in the form of dependency rules with respect to the output class labels of land covers and these rules determine appropriate number of hidden nodes of GNNs. The dependency factors obtained during rule generation are used for initializing the connecting weights of GNNs. NRS is also used here in the selection of a subset of features for reducing the burden of high-dimensional fuzzy-granulated feature space of HSI image (Meher, 2015).

A regularized deep Feature Extraction (FE) method is used for HSI classification using a CNN. This approach employs several convolutional and pooling layers to extract deep features from HSIs which are nonlinear, discriminant and space invariant (Zhang and Hong, 2018; Paoletti et al., 2018). These features are functional for image classification and target identification. In addition, in order to address the issue of disparity between high dimensionality and limited accessibility of training samples for the classification of HSI, a few strategies such as L2 regularization and dropout are investigated to avoid over fitting in class data modelling. More importantly, 3-D CNN-based FE Model with combined regularization to extract effective spectral-spatial features of hyperspectral imagery has been employed (Jia et al., 2016; Hu et al., 2015). Many researchers, proposed deep learning architectures for land cover classification method that extracts band specific features which requires fewer training samples (Santara et al., 2017; Zheng et al., 2017; Li et al., 2017).
MATERIALS AND METHODS

This study describes the architecture and the algorithm of the proposed methodology for classification of HSI using CNN technique. The architectural network of the proposed method is presented as shown in Fig. 1a and b.

In this study the architecture of the model and algorithm for training and testing for classification of HSI using CNN method is explained. CNN is feed-forward neural network which is a combination of convolution layer, pooling and FCN layers. This model is based on the principle of deep neural network architecture which learns spectral-spatial features and gives better performance in classification. The architecture diagram, mainly consists of three cascaded steps which are patch extraction, convolution and max pooling, Fully Connected Layer (FCN) as shown in Fig. 1a. The output of the model is class label $O_i$ for corresponding pixel $P_i$. The entire network is trained by back propagating the error. The filter kernels of convolution layers and link weights of FCN are updated depend upon the error.

In patch extraction step, a pixel $P_i$ represented by a patch of $R_p \times C_p \times N_b$ size (Spectral features) is extracted. The successive pixel representing patches, contains overlapping window of the neighborhood patches. Then the patch representing a pixel presented to first convolution layer of stage-I which consists of two cascaded convolution layers and a max pooling layer as shown in Fig. 1b.

Inspired by the biological visual systems, CNN architecture is evolved for computer vision applications. In the human vision system, there are two types of cells in the visual cortex such as simple cells and complex cells. The simple cells determines local features, specifically edge-like patterns whereas complex cells aggregates the outputs of neighborhood simple cells. The complex cells have bigger receptive fields relative to simple cells and they are invariant to local features. Similarly, the architecture of CNN has two features, local connections and shared weights. The local connection extracts local correlation whereas shared weight facilitate in detecting features, irrespective of their positions in the field of view. Due to the shared weights, the number of trainable parameters get reduced. The combination of both the features helps in better generalization of the model.

In this case, a patch of input image having $R_p$ rows, $C_p$ columns and $N_b$ bands ($R_p \times C_p \times N_b$) is convolved by the weights which is nothing but trainable filter kernels of the
size $F_i \times F_j \times N_k$ across the entire patch in that layer. At any instant, the kernel weights $(F_i \times F_j)$ are convolved with a window which is smaller than the image and extracts features local to the window. But the same kernel weights are used to extract similar features across the whole image, hence, sharing of the kernel weights for the whole image. Typically, the filter size may be $3 \times 3$ or $5 \times 5$ and it is convolved over the image of $16 \times 16$. The resultant feature maps of size $N_k$ are summed up to produce, single $R_p \times C_p$ sized feature map corresponding a given filter. Similarly, $F_1$ number of feature maps are produced using $F_1 \times N_k$ number of kernels for the same patch each representing particularly specific feature. The resultant of the convolution as shown in Eq. 1, produces a activation layer. Then, these activation layers are converted into non linear by applying Rectified Linear Unit (ReLU) as in Eq. 2. The output of the activation function is $F_1$ number of feature maps of the size $R_p \times C_p$. Typically, $F_1 = 400$ in the first convolution of stage-I layer:

$$A_i^l = \sum_j f\left(w_{ij}^l \cdot A_{i-1}^l + b_j^l\right)$$

(1)

Where:
- $A_i^l$ : The activation of the $i$th feature map in $l$th layer
- $A_{i-1}^l$ : The activation in $i$th feature map in $(l-1)$th layer that is previous layer
- $w_{ij}^l$ : The convolution kernel (Filter kernel) for $A_{i-1}^l$
- $b^l$ : Bias
- * : Convolution operator

$$F_i = f\left(A_i^l\right) = \max \left(0, A_i^l\right)$$

(2)

where, $F_i$ is feature map of $i$th layer. The number of filter kernels, filter size, the stride and amount of zero padding are hyper parameters in CNN which are tuned to obtain better performance and this is essential for the type of input image, number of class labels, computing speed and available computing resources.

The depth of feature maps corresponds to the number of filters at each convolution layer, represents various oriented edges, blobs of colour for the same region of input image. The large number of feature maps leads to more requirement of memory and computation time. Hence, this parameter has to be balanced for a given problem. The stride refers to the number sliding pixels after a convolution operation of filter over a window of input image. Suppose, the stride is one, the filter moves one pixel at a time and for stride value of two, the filter jumps two pixels at a time. More the number of strides, the output will reduce across spatial dimensions. To cover the border pixels of the images, it is essential to pad the image with zero, therefore, output feature map spatial size will be retained as that of the input image.

In stage-I, $F_i$ number of features obtained by first convolution layer becomes input to second convolution layer. In the second layer also convolution and activation functions are applied on $R_p \times C_p \times F_i$ sized input as in Eq. 1 and 2. The output produced at second convolution layer with the depth of $F_i$ feature maps of the spatial size $R_p \times C_p$ is fed to max pooling layer. Through this operation, the feature are made invariant from, the location and distortion. This layer reduces the spatial size of the feature maps by retaining the depth and concise the features. Therefore, the computation burden of subsequent layers is reduced. The max pooling operation, partitions the input feature map into a set of non overlapping windows. Then, the maximum value is chosen from the local pool window of the feature map as in Eq. 3. In case of the window size 2×2 then the output of this layer has the size $(R_p/2)\times(C_p/2)\times F_2$:

$$v_j = \max\left(v_{\text{max}}(u(n,n))\right)$$

(3)

where, $v_j$ is maximum in the neighbourhood of $N \times N$ window, $u(n,n)$ is the window function to the patch of feature map, $v_i$ is the input window at location $i$ in the feature map.

The stage-II operations are similar to the stage-I, except the depth of the feature maps. The output of the stage-II has the spatial size $(R_p/4)\times(C_p/4)$ and feature maps depth as $F_i$. In the first layer of stage-I, the feature map may contain low level features like edge of particular orientation, lines etc. The following convolution, pooling layers helps to detect higher level features like curves, textures. Eventually, the feature maps may contain the parts, patterns present in the scene that is entire visual concept. The main advantage of increasing the layers is to increase the visual hierarchy of concepts with smaller representation. To classify the feature detected in convolution layer, FCN is used as final stage in CNN. The stage-II output $F_i$ feature maps of the size $(R_p/4)\times(C_p/4)\times F_2$ are converted to 1-D vector to feed to FCN. This layer is a multi-layer perceptron neural network which connects all nodes of one layer to all nodes of next layer associated with activation function. The FCN is comprising of one input layer which has same number of nodes as that of output of max pooling layer, followed by two hidden layers $h_1$ and $h_2$ with $M$ and $N$ number of nodes, respectively. The computational procedure is presented for hidden layer $h_1$ of FCN as in Eq. 4 and 5:

$$h_{\text{max}} = f\left(W_{h_1} \cdot b_{h_1}\right) \text{ for all } M \text{ nodes}$$

(4)

in $h_1$ layer

Where:
- $h_{\text{max}}$ : The bias at $h_1$ layer

$$h_{\text{max}} = b_{h_1} + \sum_{j=1}^{l} W_j C_j \text{ for all } M \text{ nodes}$$

(5)

Where:
- $C_j$ : Input from max pooling layer
- $b_{h_1}$ : The bias at $h_1$ layer
Activation function, Rectified Linear Unit (ReLU) is used to threshold the activation at zero as in Eq. 6:

$$h_i = f(h_{\text{net}}) = \max(0, h_{\text{net}}) \quad (6)$$

Similarly, the net and activated output values for N nodes in h, layer is computed same as in hidden layer h, Finally, the output of h, layer is terminated at output layer consisting of O number of nodes which represents the desired number of class labels to be determined. The input pixel is classified at this last layer by using softmax as its activation function. The classification of an input pixel is computed based on the conditional probabilities of the O output classes as in Eq. 7. Conditional probability for O classes, \( P_c = (P_{c1}, P_{c2}, P_{c3}, P_{cO}) \). For each class, the probability distribution (Chen et al., 2016) computed as:

$$P_c = \sum_{i=1}^{O} e^{y_i} \quad (7)$$

where, \( y_i = (y_1, y_2, y_3, ..., y_O) \) is the input to softmax activation function at the output layer. The back-propagation algorithm is used to minimize the error between the desired and actual output. The error is calculated by various cost or loss functions. In training process, the derivative of the error value is back-propagated, so that, the link weights in FCN and kernel weights are updated to the optimal values. In this implementation, cross entropy loss function has been adopted. Suppose, O is the number of class labels then \( \{P_i, T_i\} \) for i = 1 to N, training set in which \( P_i \) is the input patch representing a pixel and \( T_i \) is a corresponding target class. The loss function (Yang et al., 2016) for classification is given in Eq. 8:

$$C(\Phi) = \frac{1}{N} \sum_{i=1}^{N} \sum_{k=1}^{O} f(k = T(n)) \log P_k(n) \quad (8)$$

Where:
- \( N \) : The number of training patches
- \( T(n) \) : A ground truth label of the nth training sample
- \( P_k(n) \) : The kth element
- \( P(n) \) : Which is the conditional probability of assigning kth class to the nth sample

The indicative function \( f(k = T(n)) \) is 1 if the condition is met, else it is 0. \( \Phi \) denotes the set of convolutional kernels and bias values.

The following algorithm presents the working procedure to obtain, optimal model for HSI classification. This algorithm has several steps to work with this model such as model building, dataset preparation, model parameter initialization, fine tuning of the model, training and testing of the model to accomplish the task.

Algorithm for CNN training and testing for HSI classification: The steps for training and testing of HSI classification are listed as below.

Step 1: Construction of the network:
- i. Build the CNN Model in the sequence as: \{Convolution layer-convolution layer-maxpool layer-convolution layer-convolution layer-maxpool layer-hidden layer 1-hidden layer 2-output layer\} as shown in Fig. 1
- ii. Set the number of filters and nodes as \( \{F_1, F_2, F_3, F_4, M-N-O\} \). Set maxpool layer window size = 2×2
- iii. Set the activation function as ReLU as in Eq. 2 to all convolution layer and hidden layer. Set softmax activation function to output layer in FCN as in Eq. 7

Step 2: Preparation of the dataset:
- i. Normalize all the pixel value of the image that is scale down the pixel value (0-255) to (0.0-1.0)
- ii. Read a pixel, equally surrounded by R×C pixels across Ni number of bands that is a patch image of the size R×C×Np. Read the ground truth label for the corresponding input pixel and set it as a target class. Repeat the same process for all the R×C pixels of the input HSI
- iii. Shuffle the patches along with their target class
- iv. Split the R×C number of pixels in the ratio of 7.5:2.5 in which 75% of pixels will be used for training, 25% for testing purpose

Step 3: Initialization of the model:
- i. Initialize all filter kernels, FCN weights and biases to random numbers
- ii. Initialize the learning rate \( \alpha \) to \( 10^{-5} \), maximum number of epochs, training batches, batch size, stride and zero padding
- iii. Set the loss function as shown in Eq. 8

Step 4: Training:
- i. For each epoch, Do
- ii. Input the batch of patches \{batch, patches\} to the network and compute the Oi of every unit i in the output layer
- iii. For each output node Oi, compute loss function as in Eq. 8
- iv. For each output node Oi, compute loss function as in Eq. 8
- v. Update each network weight by w = w+Δw where Δw = αδp, \( \alpha \)-learning rate, \( \delta \)-rate of change of error, \( p \)-input to that node or kernel
- vi. Back propagate the loss until it reaches the first convolution layer and update the weights of kernels, link weights of FCN and biases
- vii. Go to step 4 (ii) until all the batches completed
- viii. Stop when the number of predetermined epochs completed

Step 5: Testing:
- i. Consider testing sample patches and feed them to the network as described in step 4. The weights of the network should not be updated
- ii. The actual output class is compared with the ground truth target class. The classification errors are calculated
- iii. Suppose the accuracy is reached to the desired level, go to step 7

Step 6: Fine tuning of the model:
- i. Suppose the accuracy is not up to the expected value, modify the hyper parameters such as learning rate, cost function, number of filters in convolution layers, strides, maxpooling window size, number of hidden layers, number of nodes in hidden layers, patch size, combination of convolution and maxpooling layers and so on. Go to step 1 and repeat the training

Step 7: Readiness of the model:
- When the model is ready with the optimized weights can be used for application
- Then, the HSI images can be fed to the model for classification
RESULTS AND DISCUSSION

Experimental results and analysis: In this study, the details of experiment setup the dataset specification, the results obtained and analysis of the data and results are discussed.

Experiment set up and datasets: In this study, the experiments conducted using proposed HSI classification method is presented. Initially, the CNN Model is built with the convolution layers and fully connected layers. In this method, the patch of an image of the size of $R_p \times C_p \times N_b$ is extracted from the input HSI and fed to CNN network. In this experiment, patch size considered are $5\times5\times B$, $7\times7\times B$, $9\times9\times B$ where $B$ is the size of the number of bands in HSI. In this experiment, the filter sizes selected as $3\times3\times F_n$ for all the convolution layers where $F_n$ is the size of feature maps. In the stage-I, the values of $F_1$ and $F_2$ are 500 and 400, respectively and in stage-II, $F_1$ and $F_2$ are chosen as 200 and 100, respectively. The maxpooling operation is carried out to reduce the spatial size of the feature maps, after the successful two convolutions in both the stages of layer 1 and 2. After this operation the spatial size of feature maps get halved. The final feature map obtained at the end of layer 2 operation is flattened to one dimensional vector. The 1-D vector is fed to FCN. In this experiment at Fully Connected hidden layer (FC-h1), $M = 200$ and at second hidden layer FC-h2, $N = 100$. The output layer has the number of nodes equal to the number of class labels that is $O = 16$ in the case Indian pines dataset and $O = 9$ for Pavia university dataset. The activation functions employed in hidden layers and output layer are ReLU and sigmoidal functions, respectively.

The training data is used for updating convolution filter values and weights in the fully connected network. The testing data samples are used for evaluating the proposed model. The learning rate has been experimented from $0.1-10^{-4}$ for better accuracy. The size of the feature maps and number of nodes in the hidden layer of FCN are varied and tested to improve the performance of the model.

To experiment, two standard hyperspectral images of different characteristics such as spectral and spatial resolution, land cover, area size are considered. The first one is AVIRIS hyperspectral image of Indian pines (Baumgardner et al., 2015) and the second image used is of Pavia University in Northern Italy.

In this proposed methodology, a patch is considered as a training example which represents a pixel surrounded by its neighborhood pixels. Approximately, 10000 samples are shuffled and divided into training set and testing set in the ratio of 7.5:2.5, respectively. The performance of the proposed model is assessed using overall accuracy (Provost et al., 1998):

$$\text{Overall accuracy} = \frac{\text{Number of successful prediction}}{\text{Total number of prediction}} \quad (9)$$

Classification of Indian pines scene: The Indian pines image (Baumgardner et al., 2015) has spatial resolution of 20 m$^2$ per pixel and spectral resolution of 224 spectral bands in the range of 400-2500 nm which covers visible and infrared region. This image scene has 3/4th area of agricultural land and some part as forest vegetation. Also, there are buildings, railway tracks and highways in the image scene. The ground truth is available for 16 classes such as fields of corn, wheat, soybean, oats, stone-steel structures and other objects as shown in Table 1. The total size of the image is $145\times145$ pixels which covers the area of $2\times2$ miles.

The performance of classification is evaluated using overall accuracy as in Eq. 9. There are some classes which has very few available samples such as 20 for oats and very large number such as 2456 for soya bean-mintill as shown Table 1. To improve the number of training samples, the classes with small number of samples are over sampled. The results obtained from the experiment are presented in Table 2 which gives both training and testing accuracy at various number of epochs. It is observed that the more the number of epochs, more the accuracy. The testing accuracy is less, relative to the training accuracy as given in Table 2 and Fig. 2-4. However, after the 200 epochs the testing accuracy is getting closer to training accuracy. The visual inspection
Fig. 2: Indian pines ground truth and classified images: (a) Indian pines ground truth, (b) Accuracy = 0.76 and (c) Accuracy = 0.92

Fig. 3: The loss of training dataset of Indian pines versus number of epochs of ground truth image and the predicted image has been carried out at the interval of every 25 epochs. For better understanding of the effectiveness of accuracy, the ground truth and predicted images are presented as shown in Fig. 2b through Fig. 2c for the testing accuracies of 76% and 92%, respectively (Fig. 2-4).
It is clearly shows that the predicted image of 92% has less number of misclassification compared to 76%. Through these evident, the proposed algorithm is better for HSI classification. The loss or the error value across various epochs are observed as shown in Table 2. The loss is reducing drastically till the 60th epoch. Afterwards, the error is gradually reducing and it is observed after 200 epoch, it is stuck at minimum value of 0.05 as shown in Fig. 3. The overall accuracy is achieved through this proposed model for training is 99% and testing accuracy 92%.

Classification of Pavia University scene: This image is captured from the Reflective Optics System Imaging Spectrometer (ROSIS) sensors and have spatial resolution of 1.2 m2 in the spectral range of 430-860 nm with 103 spectral bands. The Pavia University image has the size of 610×340 pixels. The image scene has the building, roads covered with different materials like bitumen, asphalt, gravel, land cover by meadows, bare soil, metal sheets structures, trees as shown in Table 3 which covers 9 classes. The Pavia University image is applied to the proposed model of HSI classifier to study the performance of the model for high resolution images. In this case also the overall accuracy of the predicted image computed in both training and testing phase as tabulated in Table 4 and Fig. 6. For the visual evidence Fig. 5 (a) through (c) is presented with ground truth of Pavia University and predicted images at the accuracy of 92.35 and 97.5% testing accuracy.

The model is converging faster when compared to Pavia dataset due to its high resolution. It is also observed that the testing accuracy is very much close to training accuracy. The loss computed at various epochs are presented in Table 4 and its graph in Fig. 7. The loss is 0.1 at 50th epoch and it is reduced to small as 0.01 at
120th epoch. Since, the applied image dataset is very high resolution and more distinguishable in the object spacing in the scene has made the model to reach the accuracy at lower number of epoch training. This model outperformed in this scene with respect to testing accuracy and convergence time such as 97.52% at 115 epochs.

**CONCLUSION**

In this study, a new eight layer HSI classification model based on deep convolutional neural network is proposed. The proposed CNN Model takes the input of both spectral and spatial data as a patch by considering the neighborhood of the pixel of interest. The experimental result shows that the proposed method improves the overall classification accuracy of the model for small number of epochs. The experiment has been conducted for different spatial and spectral resolution images. The results are verified for the effectiveness of the method by computing the classification accuracy for different number of epochs. The classification into the required output classes was successfully performed. The testing accuracy of 97% is achieved through this experiment. This classification is used to classify all pixels in a digital image into one of several land cover classes. The future research involves dimensionality reduction techniques can be used to reduce the number of bands and processing time.

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