

Forecasting of Agricultural Loan in Bangladesh

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Key words: Time series, ARIMA, ACF, PACF, ADF, stationary, autoregressive, moving average

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Abstract: The agriculture sector is important to meet up the challenges of twentieth century in Bangladesh. It has huge contribution to our life. This sector secures the food security, export earnings and poverty reduction (Agricultural and MSME finance’ 2017, BB). In this paper, we forecast the agricultural loan disbursement, overdue and recovery in Bangladesh. Morln eover, we have discussed the flaw of loan disbursement, recovery and overdue and that of the way out.

## INTRODUCTION

Farming is the development of land and breeding of animals and plants to give nourishment, fiber, therapeutic plants and different items to support and improve life. Horticulture was the key advancement in the ascent of inactive human progress whereby cultivating of trained species made nourishment surpluses that empowered individuals to live in urban communities. The investigation of farming is known as agricultural science. The historical backdrop of horticulture goes back a large number of years; people gathered wild grains no $<105,000$ years prior and started to plant them around 11,500 years back before they become domesticated. Pigs, sheep and steers were domesticated $<10,000$ years back. Crops begin from no $<11$ locales of the world. Modern horticulture dependent on vast scale monoculture has in the previous century come to rule agrarian yield, however, around 2 billion people worldwide still rely upon subsistence agriculture (Wikipedia).

Current agronomy, plant breeding and agrochemicals, for example, pesticides and composts and innovative advancements have pointedly expanded yields from development and yet have caused boundless biological and ecological harm. Specific breeding and modern practices in animal husbandry have correspondingly expanded the yield of meat, yet have raised worries about animal welfare and environmental harm through contribution to a dangerous atmospheric deviation, consumption of aquifers, deforestation, anti-microbial opposition and development hormones in modernly delivered meat. Hereditarily altered animals are broadly utilized, despite the fact that they are restricted in a few nations (Wikipedia).

The major horticultural items can be extensively assembled into sustenance's; strands, energizes and crude materials. Classes of nourishments in incorporate oats (grains), vegetables, natural products, oils, meat, drain, growths and eggs. About <33\% of the world's laborers are utilized in agribusiness, second only to the service sector in spite of the fact that the quantity of horticultural workers in developed nations has diminished altogether in the course of recent hundreds of years (Wikipedia).

Bangladesh is a country freed in 1971 and after that developing gradually based on agriculture mostly. It has great impact on economy. Majority percent people depend on agriculture directly or indirectly in Bangladesh. The most significant part of gross domestic income comes from the agriculture sector. Currently the contributing rate of agriculture sector to GDP is $14.8 \%$ and almost $47 \%$ of labor force employment depending on this sector (Agricultural and MSME finance'2017, BB). Moreover, this sector provides raw material for micro, medium and small industries (Agricultural and MSME finance'2017, BB).

So, agriculture sector plays a vital role for the development to it's inter connected sector with the remaining part of the economy. Recently the advancement of technology that is introduced to agriculture contributed to its revolutionary production in agriculture sector. But in Bangladesh farmers are not capable to occupy with the advanced technology without the financial support from government as well as private sector. If they are facilitated with the enough financial support it will be easier to uphold the growth of agricultural product in our economy.

As the sector is key fact to achieve the target of self sufficiency in food production, Bangladesh government has prioritized the agriculture sector. In line with the Bangladesh government, different Banks and private sectors are making their proactive policy and support to boost up agricultural production. Banks are formulating agricultural loan policy and program accordingly. Maximum percent of agricultural loan is the small scale based loans in Bangladesh for the poor entrepreneurs. This type loan allows them to access into lending institution to borrow fund and start their own business in a small scale.

Literature review: The existing procedure in financial institution is procrastinating for the disbursement of loan in Bangladesh. A farmer need to go through a long term process to avail the loan disbursement opportunity in a bank. Long term process in disbursement is a bar to secure agricultural loan. Sarker ${ }^{[1]}$ did a research work where he mentioned that the main impediment in securing loan disbursement is from institutional source recorded by $90 \%$ farmers. On the other hand bankers are interested to disburse loan to urban areas rather than in rural areas. The ratio of loan-deposit in urban areas is near about $85 \%$ that is $20 \%$ more than in rural areas. There is a shortage of banking operation in rural areas. The banking operation has not spread out adequately in rural areas. As a result the disbursement of agriculture loan from different banks is not quite enough for the farmers, especially for medium and large farmers. The argument is accepted by farmers stated a survey (Farmer's
credit survey, Sarker ${ }^{[1]}$ ). Moreover trivial cooperation has identified as another problems in getting bank loan.

Banking loan rules is one of others obstacle for small and marginal farmers for getting loan. Loan rule are designed very complicatedly that is not apprehended by most of the farmers. A survey conducted by Sarker ${ }^{[1]}$ showed that $79.2 \%$ very small farmer in which $82.9 \%$ identifies the loan rules are difficult to avail the loan from bank and $78 \%$ of all farmers think same. Alam categorized four types of non-interested cost of bank loan such as (a) application fees, stamp and documents required in support of loan (b) form filling and writing (c) cost of traveling for loan negotiation (d) cost of entertaining people who assisted in loan negotiation.

To overcome the problems banks should be cooperative and participation among different banks should be ensured. The payment procedure of interest and principal should be readjusted. To increase the recovery rate of loan and to minimize the overdue rate of loan strict supervision is needed very badly from the lender side. Monitoring system must be expanded. Recently Bangladesh bank has inspired all scheduled banks to gather information of farmers from the Department of Agricultural extension to classify the original farmers ${ }^{[2]}$. The selection process for distributing loan as well as recovering loan is full of biasness. The responsible personnel in bank gives special priority to their relatives, friends and those maintain good relation with bank employees in selecting the borrowers ${ }^{[3]}$. Strict monitoring and supervision is therefore needed by central bank to reduce the tendency of mismanagement in disbursing loan and recovery system. If it is monitored in a proper way overdue of loan will be reduced automatically. Although, disbursing rate of loan is increased yearly in amount but it is not enough for increasing demand. After disbursement time loan recovery must be proportional to disbursement to avoid the increasing rate of overdue loan.

## MATERIALS AND METHODS

Time series analysis: ARIMA Model is used to carry out forecasting. The time series model used in this study are briefly portrayed. A critical parametric group of stationary time series is the Autoregressive Moving Average (ARMA) process and it assumes a key job in the modeling of time series data. At the point when a time series isn't stationary, more often than not differencing tasks are connected at the suitable lag with the end goal to accomplish stationary. The mean is normally subtracted and an ARMA Model is fit to the data set. A stationary zero mean ARMA (p, q) model is defined as ${ }^{[4]}$ a sequence of random variables $\left\{X_{t}\right\}$ which satisfy, $X_{t}-\phi_{1} X_{t-1}-\ldots, \phi_{\mathrm{p}} X_{t-p}=Z_{t}+\theta_{1} Z_{t-1}+\ldots,+\theta_{q} Z_{t-q}$ for every $t$ and
where $\left\{Z_{t}\right\}$ is a sequence of uncorrelated random variables with zero mean and constant variance $\sigma^{2}$. A process is said to be an ARMA process with mean $\mu$ if $\left\{X_{t}-\mu\right\}$ is an ARMA (p,q) process. A process is called an ARMA ( $p, d, q$ ) process if $d$ is a nonnegative integer such that $(1-B)^{d} X_{t}$ is an ARMA ( $p, q$ ) process and where $B$ is the usual backward shift operator $E\left(\xi_{l} / \xi_{u}\right.$, $\mathrm{u} \triangleleft \mathrm{t})=0, \mathrm{t} \in \mathrm{z}$.

This model selection also includes the Akaike Information Criterion (AIC), Corrected Akaike Information Criterion (AICC) and Bayesian Information Criterion (BIC). The AIC statistic is defined as AIC $=-2$ In $L+2(p+q+1)$ where $L$ is the Gaussian Likelihood for an ARMA (p, q) process. On the other hand, the AICC statistic is defined as:

$$
\text { AICC }=-2 \operatorname{In} L+\frac{2(p+q+1) n}{n-p-q-2}
$$

Since, the AICC criterion has a more extreme penalty than the AIC statistics; it would counteract fitting very large models. The Bayes Information Criterion (BIC) is given by BIC= -2 (Log likelihood) $+\mathrm{p} \log (\mathrm{n})$. In general, BIC penalizes models with more parameters more strongly than AIC.

## RESULTS AND DISCUSSION

The data that are used in this research is collected from the‘ Bangladesh Bank’ (https://www.bb.org.bd/ pub/pubpublictn.php. In this study, we want to forecast agricultural loan disbursement, recovery and overdue. The yearly data of agricultural loan are given in data Table 1.

Forecasting Agricultural loan: The Agricultural loan disbursement for time series analysis our prerequisite is data is to be stationary. The above graph (Fig. 1) shows that the data is not stationary. The data are therefore, differenced once at lag1 and the plot is shown in Fig. 2.

Lag1: This study has tested ADF and found 8.061262 which is $>3.646342$ at 0.01 critical levels, i.e., expectedly the study reject the null hypothesis. The graph and the table showed in Fig. 2 and Table 2. Finally, it is established that data set is stationary in lag1. Hence, the fitted ARIMA (2, 1, 0) model and the forecasting graph (Fig. 4) can be stated as follows:

$$
y_{t}=0.546990-1.678808 \mu_{t}+0.678809 \mu_{t-1}
$$

The overdue loan: For time series analysis our prerequisite is data is to be stationary. The above graph (Fig. 5) shows that the data is not stationary. The data are therefore, differenced once at lag1 and the plot is shown in Fig. 6.

| Table 1: Yearly agricultural loan data (N [N], 'billion BDT') |  |  |  |
| :--- | :---: | ---: | ---: |
| Years | Disbursement | Recovery | Overdue |
| 2017 | 209.990 | 188.410 | 67.08 |
| 2016 | 176.460 | 170.560 | 56.78 |
| 2015 | 159.780 | 154.070 | 67.29 |
| 2014 | 160.370 | 170.460 | 76.12 |
| 2013 | 146.670 | 143.620 | 52.09 |
| 2012 | 131.320 | 123.590 | 60.52 |
| 2011 | 121.840 | 121.480 | 60.97 |
| 2010 | 111.170 | 101.120 | 64.04 |
| 2009 | 92.840 | 83.770 | 60.80 |
| 2008 | 75.348 | 53.840 | 59.43 |
| 2007 | 52.920 | 46.760 | 66.35 |
| 2006 | 57.890 | 41.240 | 65.99 |
| 2005 | 49.560 | 31.711 | 57.81 |
| 2004 | 40.480 | 31.350 | 62.64 |
| 2003 | 32.780 | 35.160 | 65.26 |
| 2002 | 29.550 | 32.590 | 67.54 |
| 2001 | 30.190 | 28.770 | 67.95 |
| 2000 | 28.510 | 29.960 | 64.58 |
| 1999 | 30.060 | 19.160 | 53.99 |
| 1998 | 16.430 | 16.990 | 54.89 |
| 1997 | 15.170 | 15.940 | 53.12 |
| 1996 | 14.180 | 12.730 | 49.20 |
| 1995 | 14.900 | 11.240 | 44.90 |
| 1994 | 11.000 | 9.790 | 42.03 |
| 1993 | 8.420 | 8.690 | 38.54 |
| 1992 | 7.940 | 6.620 | 35.72 |
| 1991 | 5.950 | 6.250 | 39.33 |
| 1990 | 68.860 | 7.010 | 32.84 |
| 1989 | 6.560 | 5.780 | 23.55 |
| 1988 | 6.670 | 5.950 | 19.32 |
| 1987 | 11.530 | 6.070 | 15.75 |
| 1986 | 10.050 | 5.840 | 17.78 |
| 1985 | 6.780 | 5.170 | 11.58 |
| 1984 |  | 3.420 | 7.55 |
| 1983 |  |  | 4.56 |
|  |  |  |  |

Table 2: Hypothesis disbursement

| Variables | t-statistic | Prob.* $^{0.9819}$ |
| :--- | :--- | :---: |
| Augmented Dickey-fuller test statistic | 0.442545 | 0.9819 |
| Test values: 1\% level | -3.639407 |  |
| 5\% level | -2.951125 |  |
| $10 \%$ level | -2.514300 |  |

Mackinnon one-sided p-values; Null hypothesis: disbursement has a unit root Exogenous: constant; Lag length: 0 (Automatic. Based o SIC, max lag $=8$ )


Fig. 1: Time graph of loan disbursement

Table 3: Lag1 table of loan disbursement data

| Table 3: Lag1 table of loan disbursement data |  |  |
| :--- | :---: | :---: |
| Variables | t-statistic | Prob.* |
| Augmented Dickey-Fuller test statistic | -8.061262 | 0.0000 |
| Test critical values:1\% level | -3.646342 |  |
| 5\% level | -2.954021 |  |
| 10\% level | -2.615817 |  |
| *Mackinnon one-sided p-values; Null Hypothesis: DISBURSEMENT1 |  |  |
| has a unit root Exogenous: Constant Lag Length: 0 (Automatic-based |  |  |
| on SIC, maxlag = 8) |  |  |



Fig. 2: Lag1 of loan disbursement


Fig. 3: Forecasted graph of loan disbursement
Lag1: This study has tested ADF and found 6.165677 which is $>3.653730$ at 0.01 critical levels, i.e., expectedly the study reject the null hypothesis. The graph and the Table 3 showed in Fig. 6 and Table 4 and 5. Finally, it is established that data set is stationary in lag1. Hence, the fitted ARIMA (3, 1, 0) model and the forecasting graph (Fig. 7) can be stated as follows:

$$
y_{t}=1.775601-0.460199 \mu_{\mathrm{t}}-0.181263 \mu_{\mathrm{t}-1} 0.976614 \mu_{\mathrm{t}-2}
$$

The loan recovery: For time series analysis our prerequisite is data is to be stationary. The above graph (Fig. 8) shows that the data is not stationary. The data are therefore, differenced once at lag1 and the plot is shown in Fig. 9.

Lag1: For time series analysis our prerequisite is data is to be stationary (Table 6-8). The above graph (Fig. 9) shows that the data is not stationary. The data are, therefore, differenced once at lag2 and the plot is shown in Fig. 10.


Fig. 4: Time graph of overdue loan


Fig. 5: Lag1 of overdue laon; Overdue1


Fig. 6: Forecasted graph of overdue loan


Fig. 7: Time graph of loan recovery

Table 4: Correlogram table for ACF and PC

| Autocorrelation | Partial correlation | AC | PAC | Q-stat | Prob. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\square 1$ | $\square 1$ | $1-0.361$ | -0.361 | 4.8277 | 0.028 |
| 11 | 10. | 20.018 | -0.129 | 4.8403 | 0.089 |
| 111 | 11 | 30.027 | -0.014 | 4.8696 | 0.182 |
| 181 | 101 | 40.083 | -0.107 | 5.1506 | 0.272 |
| 111 | 171 | 50.048 | 0.145 | 5.2463 | 0.387 |
| 101 | 101 | 60.067 | 0.176 | 5.4426 | 0.488 |
| 11 | 101 | 70.023 | 0.139 | 5.4661 | 0.603 |
| 111 | 1 p | 80.027 | 0.093 | 5.4995 | 0.703 |
| 111 | 11 | 9-0.030 | -0.020 | 5.5425 | 0.785 |
| 181 |  | 100.067 | -0.000 | 5.7691 | 0.834 |
| 11 | 111 | 11-0.007 | -0.038 | 5.7716 | 0.888 |
| 11 | 111 | 120.011 | -0.045 | 5.7783 | 0.927 |
| 11 | 101 | 13-0.029 | -0.800 | 5.8268 | 0.952 |
| 111 | 151 | 14-0.032 | -0.118 | 5.8909 | 0.969 |
| 11 | 151 | $15-0.023$ | $-0.124$ | $5.9259$ | 0.981 |
| $1 \mid 1$ | 141 | 16-0.020 | -0.115 | 5.9529 | 0.989 |

Date 10/02/18 Time: 23:40 Sample: 1983 2020; include observation: 36

Table 5: Coefficient covariance computed using outer product of gradients

| Variables | Coefficient | SE | t-statistic | Prob. |
| :--- | ---: | ---: | ---: | ---: |
| C | 0.546990 | 0.229916 | 2.379084 | 0.0242 |
| MA(1) | -1.678808 | 87.60015 | -0.019164 | 0.9848 |
| MA(2) | 0.678809 | 64.47233 | 0.010529 | 0.9917 |
| SIGMASQ | 299.366300 | 14659.67 | 0.020421 | 0.9838 |

Automatic ARIMA Forecasting; Selected dependent variable: D(DISBURSEMENT1); Date: 10/03/18; Time: 21:54; Sample: 1983 2020; Included observations: 33; Forecast length: 0; Number of estimated ARMA Models: 25; Number of non-converged estimations: 0 ; Selected ARMA Model: $(0,2)(0,0)$; AIC value: 7.79177862209; Dependent Variable: D(DISBURSEMENT1); Method: ARMA Maximum Likelihood (BFGS); Date: 10/03/18; Time: 21:54; Sample: 1985 2017; Included observations: 33; Convergence achieved after 43 iterations


Fig. 8: Lag1 graph of loan recovery
Lag2: This study has tested ADF and found 7.163520 which is $>3.689194$ at 0.01 critical levels, i.e., expectedly the study reject the null hypothesis. The graph and the table showed in Fig 10 and Table 9. Finally, it is established that data set is stationary in lag2. Hence, the fitted ARIMA (4, 2, 0) model and the forecasting graph (Fig. 11) can be stated as follows:


Fig. 9: Lag2 graph of loan recovery


Fig. 10: Forecasted graph of loan recovery; Actual and forecast

$$
\begin{gathered}
\mathrm{y}_{\mathrm{t}}=0.410885-0.990055 \mu_{\mathrm{t}}+1.72 \mathrm{E}-07 \mu_{\mathrm{t}-1}+0.9000521 \mu_{\mathrm{t}-2}- \\
0.99996 \mu_{\mathrm{t}-3}
\end{gathered}
$$

Finally, the fitted ARIMA $(2,1,0)$ for the loan disbursement calculated the forecasted loan disbursement that is gradually increasing in amount but the fitted ARIMA (4, 2, 0) for loan recovery forecasting the declining rate of loan recovery to the disbursement that leads the fitted ARIMA (3, 1, 0) for overdue rate calculating the forecasted value of overdue rate is scattered (Table 10-17).
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Table 6: Regression co-efficient

| Models | LogL | AIC* | BIC | HQ |
| :---: | :---: | :---: | :---: | :---: |
| $(0,2)(0,0)$ | -144.043794 | 7.791779 | 7.964156 | 7.853109 |
| $(0,3)(0,0)$ | -144.035322 | 7.843964 | 8.059436 | 7.920628 |
| $(1,2)(0,0)$ | -144.035914 | 7.843995 | 8.059467 | 7.920659 |
| $(2,1)(0,0)$ | -144.809993 | 7.884736 | 8.100208 | 7.961400 |
| $(1,1)(0,0)$ | -146.006630 | 7.895086 | 8.067463 | 7.956416 |
| $(2,2)(0,0)$ | -144.026224 | 7.896117 | 8.154683 | 7.988113 |
| $(0,4)(0,0)$ | -144.027802 | 7.896200 | 8.154766 | 7.988196 |
| $(1,3)(0,0)$ | -144.032862 | 7.896466 | 8.155032 | 7.988462 |
| $(3,1)(0,0)$ | -144.177136 | 7.904060 | 8.162626 | 7.996056 |
| $(3,2)(0,0)$ | -144.018158 | 7.948324 | 8.249985 | 8.055653 |
| $(2,3)(0,0)$ | -144.034751 | 7.949197 | 8.250858 | 8.056526 |
| $(4,1)(0,0)$ | -144.051090 | 7.950057 | 8.251718 | 8.057386 |
| $(4,2)(0,0)$ | -143.891004 | 7.994263 | 8.339018 | 8.116925 |
| $(3,3)(0,0)$ | -144.014076 | 8.000741 | 6.345496 | 8.123402 |
| $(0,1)(0,0)$ | -149.218911 | 8.011522 | 8.140805 | 8.057520 |
| $(4,3)(0,0)$ | -144.015185 | 8.053431 | 8.441280 | 8.191425 |
| $(4,4)(0,0)$ | -143.587776 | 8.083567 | 8.514511 | 8.236894 |
| $(4,0)(0,0)$ | -147.799696 | 8.094721 | 8.353287 | 8.186717 |
| $(3,0)(0,0)$ | -149.663080 | 8.140162 | 8.355634 | 8.216825 |
| $(2,0)(0,0)$ | -152.421990 | 8.232736 | 8.405114 | 8.294067 |
| $(1,0)(0,0)$ | -156.227186 | 8.380378 | 8.509661 | 8.426376 |
| $(0,0)(0,0)$ | -164.763848 | 8.777045 | 8.863233 | 8.807710 |
| $(1,4)(0,0)$ | -164.856897 | 9.045100 | 9.346760 | 9.152428 |
| $(2,4)(0,0)$ | -164.844606 | 9.097085 | 9.441839 | 9.219746 |
| $(3,4)(0,0)$ | -164.846813 | 9.149832 | 9.537682 | 9.287826 |

Table 7: Parameters

| Variables | t-statistic | Prob.* |
| :--- | :--- | :--- |
| Augmented Dickey-Fuller | -2.886277 | 0.0581 |
| statistic | -3.653730 |  |
| Test ontical values: 1\% level | -2.957110 |  |
| 5\% level | -2.617434 |  |
| $10 \%$ level |  |  |
| *MacKinnon one-sided p-values; null hypothesis: Overdue has a unit root; Exogenous: constant Lag Length: 2 (Automatic. Based on SIC. Maxiag |  |  |
| $=8)$ |  |  |

Table 8: Lag1 table of overdue data

| Variables | t-statistic |
| :--- | :--- |
| Augemented Dickey-Fuller | 6.165677 |
| test statistic | 3.653730 |
| Test critical values: 1\% level | 2.957110 |
| 5\% level | 2.67434 |
| 10\% level | 0.000 |
| Mackinnon (one sided p-values) null hypothesis: Overdue 1 has a unit root; Exogenous: constant: Lag length : 1 (Automatic-based on SIC, maxlag |  |
| $=8)$ |  |

Table 9: Correlogram table for ACF and PC

| Autocorrelation | Partial correlation | AC | PAC | q-stat | Prob. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| [ |  | 1 -0.263 | 0.263 | 2.5636 | 0.109 |
| 戊, | 呠! | $2-0.252$ | -0.344 | 4.9832 | 0.083 |
| 1 $\square^{1}$ |  | 30.192 | 0.015 | 6.4363 | 0.092 |
| 101 | $1{ }^{1}$ | 40.073 | 0.071 | 6.6531 | 0.155 |
| 181 | , | 50.106 | 0.270 | 7.1267 | 0.211 |
| 101 | $10_{1}$ | $6-0.072$ | 0.105 | 7.3555 | 0.289 |
| 11 | $1 \square_{1}$ | 70.015 | 0.108 | 7.3651 | 0.392 |
| 181 | $1 \square_{1}$ | 80.139 | 0.127 | 8.2746 | 0.407 |
| 151 | 101 | 9 -0.129 | -0.092 | 9.0923 | 0.429 |
|  | 101 | 100.010 | -0.075 | 9.0975 | 0.523 |
| 111 | 101 | 110.063 | -0.086 | 9.3073 | 0.594 |
|  | 101 | $12-0.017$ | -0.051 | 9.3242 | 0.675 |
| 111 | 101 | $13-0.054$ | -0.097 | 9.4933 | 0.735 |
| 111 | 1 p | 140.063 | 0.069 | 9.7331 | 0.781 |
| $10^{1}$ | 181 | $15-0.150$ | -0.179 | 11.1850 | 0.739 |
| $1 \mid 1$ | $1 \square_{1}$ | $16-0.010$ | -0.102 | 11.1910 | 0.798 |

Date: 10/03/18 Time: 22: 39; Sample: 1983 2020; Included observation: 34
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Table 10: Product of gradients

| Variables | Coefficient | SE | t-statistic | Prob. |
| :--- | :---: | :---: | :---: | :---: |
| C | 0.546990 | 0.229916 | 2.379084 | 0.0242 |
| MA(1) | -1.678808 | 87.60015 | -0.019164 | 0.9848 |
| MA(2) | 0.678809 | 64.47233 | 0.010529 | 0.9917 |
| SIGMASQ | 299.366300 | 14659.67 | 0.020421 | 0.9838 |
| A |  |  |  |  |

Automatic ARIMA Forecasting; Selected dependent variable: D(DISBURSEMENT1); Date: 10/03/18 Time: 21:54; Sample: 1983 2020; Included observations: 33; Forecast length: 0; Number of estimated ARMA Models: 25; Number of non-converged estimations: 0; Selected ARMA Model: $(0,2)(0,0)$; AIC value: 7.79177862209 ; Dependent Variable: D(DISBURSEMENT1); Method: ARMA Maximum Likelihood (BFGS); Date: 10/03/18 Time: 21:54; Sample: 1985 2017; Included observations: 33; Convergence achieved after 43 iterations; Coefficient covariance computed using outer product of gradients

Table 11: Regression co-efficient

| Models | LogL | AIC* | BIC | HQ |
| :---: | :---: | :---: | :---: | :---: |
| $(0,3)(0,0)$ | -107.325868 | 6.418621 | 6.640814 | 6.495322 |
| $(2,0)(0,0)$ | -108.427847 | 6.424448 | 6.602202 | 4.485809 |
| $(0,1)(0,0)$ | -109.672661 | 6.438438 | 6.571753 | 6.484458 |
| $(1,3)(0,0)$ | -106.947618 | 6.454150 | 6.720781 | 6.546191 |
| $(0,4)(0,0)$ | -106.991094 | 6.456834 | 6.723265 | 6.548675 |
| $(3,0)(0,0)$ | -108. 420954 | 6.481197 | 6.703390 | 6.557898 |
| $(2,1)(0,0)$ | -108.423981 | 6.481370 | 6.703563 | 6.558071 |
| $(2,2)(0,0)$ | -107.474401 | 6.484251 | 6.750883 | 6.576293 |
| $(1,0)(0,0)$ | -110.559445 | 6.489111 | 6.622427 | 6.535132 |
| $(0,2)(0,0)$ | -109.597470 | 6.491284 | 6.669038 | 6.552645 |
| $(1,1)(0,0)$ | -109.653823 | 6.494504 | 6.672258 | 6.555865 |
| $(3,1)(0,0)$ | -107.696738 | 6.496956 | 6.763688 | 6.588997 |
| $(3,2)(0,0)$ | -106.747992 | 6.499885 | 6.810955 | 6.607266 |
| $(1,4)(0,0)$ | -106.772514 | 6.501286 | 6.812356 | 6.608668 |
| $(0,0)(0,0)$ | -111.808816 | 6.503361 | 6.592238 | 6.534041 |
| $(2,3)(0,0)$ | -106.866290 | 6.506588 | 6.817658 | 6.613969 |
| $(4,0)(0,0)$ | -108.023852 | 6.515649 | 6.782280 | 6.607690 |
| $(1,2)(0,0)$ | -109.065179 | 8.518010 | 6.740203 | 6.594711 |
| $(4,1)(0,0)$ | -107.124418 | 6.521395 | 6.832465 | 6.628776 |
| $(3,4)(0,0)$ | -105.721248 | 6.555500 | 6.955447 | 6.693561 |
| $(4,2)(0,0)$ | -106.730246 | 6.556014 | 6.911522 | 6.678735 |
| $(3,3)(0,0)$ | -106.731968 | 6.556112 | 6.911621 | 6.678834 |
| $(2,4)(0,0)$ | -106.771668 | 6.558381 | 6.913889 | 6.681102 |
| $(4,3)(0,0)$ | -106.588014 | 6.605029 | 7.004976 | 6.743091 |
| $(4,4)(0,0)$ | -105.680095 | 6.610291 | 7.054676 | 6.763693 |

Model selection criteria table; Dependent variable: overdue 1; Date 10/03/18; Time: 22:43; Sample: 1983 2017; Included observation: 34
Table 12: Hypothesis recovery

| Table 12: Hypothesis recovery |  |  |
| :--- | :--- | :--- |
| Variables | t-statistic | Prob.* |
| Augemented Dickey-Fuller | 3.151694 |  |
| test statistic | -3.711457 |  |
| Tset critical values: 1\% level | -2.981038 |  |
| 5\% level | -2.529906 |  |
| $10 \%$ level |  |  |
| Mackinnon one-sided p-values; Null hypothesis: recovery has a unit root; Exgenous: constant; Lag length: 8 (Automatic-based on SIC, maxiag $=$ |  |  |
| 8) |  |  |

Table 13: Lag1 table of loan recovery

| Table 13: Lag1 table of loan recovery |  | Prob.* |
| :--- | :--- | :--- |
| Variables | t-statistic | 0.5447 |
| Augemented Dickey-Fuller | -1.450644 | -3.661661 |
| test statistic 1\% level | -2.960411 | -2.619160 |
| $5 \%$ level |  |  |
| $10 \%$ level |  |  |
| Mackin |  |  |

*Mackinnon one-sided p-values
Table 14: Lag2 table of loan recovery

| Table 14: Lag2 table of loan recovery | t-statistic | Prob.* |
| :--- | :--- | :---: |
| Variables | -7.163520 | 0.0000 |
| Augmented Dickey-Fuller test statistic | -3.689194 |  |
| Test critical values: 1\% level | -2.971853 |  |
| 5\% level | -2.625121 |  |
| 10\% level |  |  |
| *Mackinnon one-sided p-values; null Hypothesis: D(RECOVERY2) has a unit root; Exogenous: Constant; Lag Length: 3 (Automatic-based on SIC, |  |  |
| maxlag $=8)$ |  |  |

Table 15: Correlogram table for ACF and PC

| Autocorrelation | Partial correlation | AC | PAC | q-stat | Prob*. |
| :---: | :---: | :---: | :---: | :---: | :---: |
| - | - | 1-0.634 | -0.634 | 14.105 | 0.000 |
| 11 | - | 20.018 | -0.642 | 14.116 | 0.001 |
| 19 | -1 | 30.235 | -0.438 | 16.187 | 0.001 |
| 14. | -1 | 4-0.197 | -0.150 | 17.700 | 0.001 |
| 10 | 11 | 50.215 | -0.018 | 19.567 | 0.002 |
| $\square$ | 111 | 6-0.286 | -0.075 | 22.979 | 0.001 |
| 18 | 111 | 70.194 | -0.056 | 24.618 | 0.001 |
| 11 | $\square$ | 8-0.020 | -0.293 | 24.637 | 0.002 |
| 11 | $10^{1}$ | 9-0.036 | -0.202 | 24.698 | 0.003 |
| 11 | E1 | 10-0.040 | -0.457 | 24.776 | 0.006 |
| $1 / 1$ | 11 | 110.133 | -0.108 | 25.690 | 0.007 |
| 141 | 11 | 12-0.119 | -0.068 | 26.463 | 0.009 |
| 11 | 11 | 13-0.009 | -0.079 | 26.468 | 0.015 |
| 11 | 14 | 140.150 | -0.144 | 27.833 | 0.015 |
| 19 | $1{ }^{1}$ | 15-0.189 | -0.117 | 30.112 | 0.012 |
| 171 | -1 | 160.105 | -0.298 | 30.856 | 0.014 |


| Models | LogL | AIC* | BIC | HQ |
| :---: | :---: | :---: | :---: | :---: |
| $(0,4)(0,0)$ | -109.466476 | 6.599227 | 6.865858 | 6.691268 |
| $(1,4)(0,0)$ | -109.431207 | 6.653212 | 6.964281 | 6.760593 |
| $(2,4)(0,0)$ | -109.395721 | 6.708327 | 7.063835 | 6.831048 |
| $(3,4)(0,0)$ | -109.395703 | 6.765469 | 7.166415 | 6.903530 |
| $(4,4)(0,0)$ | -109.369187 | 6.821096 | 7.266482 | 6.974498 |
| $(4,3)(0,0)$ | -111.041799 | 6.859531 | 7.266482 | 6.974498 |
| $(2,3)(0,0)$ | -113.327944 | 6.875883 | 7.186952 | 6.983564 |
| $(3,3)(0,0)$ | -112.405763 | 6.880329 | 7.235837 | 7.003051 |
| $(4,2)(0,0)$ | -112.475388 | 6.884308 | 7.239185 | 7.007029 |
| $(2,2)(0,0)$ | -114.500041 | 6.885717 | 7.152348 | 6.977758 |
| $(3,2)(0,0)$ | -113.739504 | 6.899400 | 7.210470 | 7.006781 |
| $(0,1)(0,0)$ | -117.923824 | 6.909933 | 7.043248 | 6.955953 |
| $(4,1)(0,0)$ | -114.140221 | 6.922298 | 7.233368 | 7.029680 |
| $(1,2)(0,0)$ | -116.150865 | 6.922907 | 7.145099 | 6.999607 |
| $(1,3)(0,0)$ | -115.223300 | 6.927046 | 7.193677 | 7.019087 |
| $(2,0)(0,0)$ | -117.228006 | 6.927315 | 7.106069 | 6.988675 |
| $(0,2)(0,0)$ | -117.228006 | 6.927315 | 7.135508 | 7.019114 |
| $(1,1)(0,0)$ | -117.778835 | 6.958791 | 7.136545 | 7.020151 |
| $(2,1)(0,0)$ | -117.133348 | 6.979048 | 7.201241 | 7.055749 |
| $(3,0)(0,0)$ | -117.138665 | 6.979352 | 7.201545 | 7.056053 |
| $(4,0)(0,0)$ | -117.084432 | 7.033396 | 7.300027 | 7.125437 |
| $(3,1)(0,0)$ | -117.132356 | 7.036135 | 7.302766 | 7.128176 |
| $(0,3)(0,0)$ | -119.383690 | 7.107639 | 7.329832 | 7.184340 |
| $(1,0)(0,0)$ | -124.486628 | 7.284887 | 7.418203 | 7.330908 |
| $(0,0)(0,0)$ | -129.368412 | 7.606766 | 7.695643 | 7.537447 |

Model selection criteria table dependent variable: recovery 2 Date: 10/03/16 Time: 23:47 Sample: 19832017 Included observations: 33
Table 17: Regression co-efficient

| Variables | Coefficient | SE | t-Statistic |
| :--- | :---: | :---: | :---: |
| C | 0.410885 | 0.200009 | 2.0543390 |
| MA(1) | -0.990055 | 2791.294 | -0.000355 |
| MA(2) | $1.72 \mathrm{E}-07$ | 4915.463 | $0.50 \mathrm{E}-110$ |
| MA(3) | 0.990052 | 4609.508 | 0.0002150 |
| MA(4) | -0.999996 | 7472.441 | -0.000134 |
| SIGMASQ | 33.201900 | 10573.65 | 0.0031400 |
| P |  | 0.9997 |  |

Dependent variable: recovery 2; Method: ARMA maximum Likelihood (BFGS); Date: 10/03/18 Time: 23:47; Sample: 19852017 Included observations: 33; Failure to improve objective (non-zero gradients) after 76 iterations; Coefficient covariance computed using outer product of gradients

## CONCLUSION

Exploring the current scenario of agricultural loan in Bangladesh is the main purpose of this study and to identify the liable reason for the growth of agricultural loan in Bangladesh mathematically. Analyzing the data above it is obvious that there are no harmony among loan
disbursement, recovery and overdue. Huge difference is observed in between loan disbursement and recovery. Data simulation showing the loan disbursement gradually increasing but at the same time recovery of loan is gradually decreasing. To achieve great success in this sector it is mandatory to keep balance among these factors disbursement, recovery and overdue loan.

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