



Journal of Applied Sciences

ISSN 1812-5654

science
alert

ANSI*net*
an open access publisher
<http://ansinet.com>

Study on Damping Performance of a New Liquid Damper

Wei Shi and Lili Huang

Ningbo Polytechnic, Ningbo, Zhejiang 315800, China

Abstract: A new type of liquid damper device-tuned liquid damper embedded a transverse cylinder (TLDETC) is developed and its damping characteristics is discussed in this paper. The additional sloshing damping ratio of TLDETC is obtained by combining the hydrodynamics theory and energy method, the optimal additional sloshing damping ratio is also discussed. Comparison analysis of damping characteristics between TLDETC and ordinary TLD are made through two setting schemes. Results show that the damping performance of TLDETC outperforms that of the ordinary TLD.

Key words: Tuned liquid damper, TLDETC, damping characteristics, vibration control

INTRODUCTION

A passive control device (Tuned liquid damper (TLD)) is widely used in the structural vibration control (Tanaka and Mak, 1983; Fulin *et al.*, 1993; Fulin, 1997). However, the damping of TLD used in the past days is not large. So that it leads to the worse control performance compared with another widely-used control device-tuned mass damper (TMD). Thus, increasing the sloshing damping is a key task in TLD study (Soong and Dargush, 1997). The energy method to study the damping characteristics when liquid flows through the vertical damping devices and obtained the formulation for additional sloshing damping of sloshing liquid is studied by Wamitchai and Pinkaew (1998). In view of this, the damping characteristics of a new liquid damper-TLD embedded a transverse cylinder (TLDETC) is studied in this paper. Meanwhile, the fluid mechanics principle and energy method will be combined to derived the optimal sloshing damping of TLDETC. Xu *et al.* (1992) indicated that a U-shaped water tank filled with water could be used as the mass of a TMD, namely, tuned liquid column/mass damper (TLCMD) (Lan, 2001). presented a control device combined tuned liquid column damper (TLCD) and tuned liquid damper (TLD), namely, hybrid tuned liquid dampers system (MTLDs, or HTLD), which could be used to reduce the structural vibration. This paper presents two new tuned-type damper systems-tuned hybrid-tank/mass damper (THMD) and tuned double liquid columns/mass damper (TDLCMD), which make fully use of the extra space in the backside of TLCMD and the control effectiveness of HTLD to obtain better practicability and control performance in structural

control. However, excess water motion in both systems may reduce the effectiveness of these two damper systems. This paper presents a phasic difference analysis method to investigate synthetical effect of TLCD, TLD and TMD simultaneously. A proposed method is also discussed to give design suggestions to these two systems in the real engineering.

MODEL OF THE TLDETC

The cylinder is embedded in a certain location in the middle (half of the container length) of the container and the surface of the cylinder is assumed to be smooth. Figure 1 shows the schematic of an ordinary TLD model and a TLDETC model with the same container dimension and liquid mass.

As shown in Fig. 1, M is the total liquid mass and A is the container length. H is the liquid height of TLD. For TLDETC, H' is the liquid height, R is the radius of the cylinder, while h is the vertical distance from the center of the cylinder to the free surface of liquid. Moreover, the container width is presented as B . It can be observed from Fig. 1 that the liquid height in a container is increased from H to H' due to the embedded cylinder.

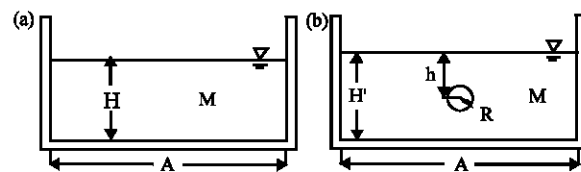


Fig. 1(a-b): Schematic of damper models (a) TLD and (b) TLDETC

FORMULAS OF TLDETC

According to the assumptions of hydrodynamics theory used in TLD calculation (Zhenan *et al.*, 1993) the basic parameters (sloshing mass and frequency) of TLD are given as follows:

$$m_a = \frac{8\rho BA^2}{(n\pi)^3} \tanh\left(\frac{n\pi H}{A}\right) \tag{1}$$

$$\omega_n^2 = \frac{n\pi g}{A} \tanh\left(\frac{n\pi H}{A}\right) \tag{2}$$

The first sloshing mode of liquid sloshing is the most effective in TLD research. Hence, only the first sloshing mode is considered when the dynamic characteristics of TLD or TLDETC is discussed in this paper.

When the liquid flows around the cylinder, the flow-induced force on the cylinder along liquid flowing direction can be obtained by Morison's Eq. 3:

$$f(x, z, t) = f_m(x, z, t) + f_d(x, z, t) = \rho\pi R^2 C_m \left[\frac{\partial u}{\partial t} \right]_{z=A/2, z=-h} + \rho R C_d [u \cdot |u|]_{z=A/2, z=-h} \tag{3}$$

where, $f_m(x, z, t)$ and $f_d(x, z, t)$ are the inertial and drag components of the flow-induced force $f(x, z, t)$, respectively; C_m and C_d are the coefficients of inertia and drag of the cylinder, respectively. Moreover, $C_m = 2$ and $C_d = 1$ (Xu *et al.*, 1992) are considered in this discussion. The additional sloshing damping ratio ξ_a can be obtained by using the method proposed by Lazan and Goodman (Lan, 2001).

$$\xi_a = \frac{\Delta E}{4\pi E} \tag{4}$$

where, ΔE is the energy loss of the sloshing due to the cylinder in one sloshing cycle, the expression of which was given by Keulegan (Housner, 1957; Haroun and Pires, 1994) Eq. 5.

$$\Delta E = \int_0^{2\pi} \int_0^{\pi} f(x, z, t) \cdot u \left(x = \frac{A}{2}, z = -h, t \right) dt dy = \frac{8\pi\rho g B R C_d A_1^3}{3A} \tanh\left(\frac{\pi H}{A}\right) \left[\frac{\cosh\left(\frac{\pi(H'-h)}{A}\right)}{\sinh\left(\frac{\pi H'}{A}\right)} \right]^3 \tag{5}$$

where, A_1 is the sloshing amplitude of the first sloshing mode of TLDETC. And E can be obtained through the gravitational potential energy of the sloshing liquid.

$$E = \frac{1}{4} \rho g A B A_1^2 \tag{6}$$

Hence, substitute Eq. 5 and 6 into Eq. 4, additional sloshing damping ratio is then obtained:

$$\frac{8C_d R A_1}{3\pi A} \tanh\left(\frac{\pi H}{A}\right) \left[\frac{\cosh\left(\frac{\pi(H'-h)}{A}\right)}{\sinh\left(\frac{\pi H'}{A}\right)} \right]^3 \tag{7}$$

where, it can be observed from Eq. 7 that ξ_a is proportional to the sloshing amplitude A_1 whose expression can be obtained by using D' Alembert's principle:

$$\left[(M_1 \omega_\tau^2 - m_1 \omega_\tau^2) + \left(\frac{8}{3\pi} M_1 \omega_\tau^2 \xi_a A_1 \right)^2 \right] \cdot A_1^2 = \left(\frac{8A}{\pi^2} m_1 \omega_\tau \right) \cdot X_0^2 \tag{8}$$

where, X_0 is the amplitude of external excitation. Hence, A_1 is positive real solution of Eq. 8, while ω_τ is the sloshing frequency of TLDETC which can be obtained by hydrodynamics theory:

$$\omega_\tau^2 = \frac{\pi g}{A} \tanh\left(\frac{\pi H}{A}\right) \cdot \frac{1}{1 + \frac{2\pi^2 R^2 C_m \tanh\left(\frac{\pi H'}{A}\right)}{A^2} \left[\frac{\cosh\left(\frac{\pi(H'-h)}{A}\right)}{\sinh\left(\frac{\pi H'}{A}\right)} \right]^2} \tag{9}$$

where, in order to determine the optimal additional sloshing damping of TLDETC with definite container dimension and liquid mass, h and R are differentiated in Eq. 7.

$$\begin{aligned} \Pi &= \frac{8C_d A_1}{3\pi A} \tanh\left(\frac{\pi H}{A}\right) \left[\frac{\cosh\left(\frac{\pi(H'-h)}{A}\right)}{\cosh\left(\frac{\pi H'}{A}\right)} \right]^3 \\ &- \frac{8C_d R A_1}{A^2} \tanh\left(\frac{\pi H}{A}\right) \left[\frac{\cosh\left(\frac{\pi(H'-h)}{A}\right)}{\cosh\left(\frac{\pi H'}{A}\right)} \right]^2 \cdot \left[\frac{\sinh\left(\frac{\pi(H'-h)}{A}\right)}{\cosh\left(\frac{\pi H'}{A}\right)} \right] \\ &= 0 \end{aligned} \tag{10}$$

Hence, the relationships between h and R can be obtained by solving Eq. 10.

$$R = \frac{A}{3\pi} \cdot \coth\left(\frac{\pi(HA + \pi R^2 - Ah)}{A^2}\right) \tag{11}$$

where, Eq. 11 presents the relationships between h and R for the optimal additional sloshing damping ratio of TLDETC. When the definite h and R meet Eq. 11, the optimal additional sloshing damping ratio can be obtained in theory; however, both h and R can not be designed too great to disturb the stability of the liquid flowing around the cylinder. Thus, in this paper, the ranges of h and R are set to be $H/3 = h = 2H/3$ and $0 = R = H/10$.

NUMERICAL SIMULATION

Two schemes are conducted to compare the damping characteristics of TLDETC and TLD in this paper. External excitation is assumed to be $X(t)$ and the liquid masses of TLDETC and TLD are the same in the two schemes.

Scheme 1: The container dimensions of TLDETC and TLD are the same while the liquid depths in TLDETC and TLD are different: $A_{TLD} = A_{TLDETC} = 5\text{ m}$, $B_{TLD} = B_{TLDETC} = 5\text{ m}$, while $H_{TLD} = 4\text{ m}$. The curve diagram for the relationship between R and h can be obtained from Eq. (11) (Fig. 2).

As shown in Fig. 2, R is not in the range of $\leq R \leq 0.4\text{ m}$ when h is in the range of $1.333 \leq h \leq 2.666\text{ m}$ for the optimal sloshing mass, but it can be observed that the curve goes closer to R 's value range as h goes lower. Hence, h can be ascertained as $h = 1.333\text{ m}$, then R can be ascertained as $R = 0.4\text{ m}$ to obtain the optimal additional sloshing damping ratio. Meanwhile, $H_{TLDETC} = 4.100\text{ m}$ can be obtained. Then the increasing amplitude of sloshing damping ratio between TLDETC and TLD under different excitation frequency in this scheme is presented in Fig. 3.

As shown in Fig. 3, the additional damping ratio appears when TLDETC is excited by the external excitation, which means TLDETC runs with a larger sloshing damping compared with the ordinary TLD. In this scheme, the maximal increasing amplitude of damping ratio reaches up to about 1.27% which happens when the external excitation $\omega \approx 2.095\text{ rad sec}^{-1}$.

Scheme 2: The liquid depths in TLDETC and TLD and the sloshing frequencies of TLDETC and TLD are the same while the container dimensions of TLDETC and TLD are different: $H_{TLD} = H_{TLDETC} = 4\text{ m}$ while $A_{TLDETC} = 5\text{ m}$, $B_{TLDETC} = 5\text{ m}$, then $h = 1.333\text{ m}$ and $R = 0.4\text{ m}$ are ascertained to obtain the optimal sloshing mass of TLDETC by means of the method used in Scheme 1, which yields $\omega_{TLDETC} = 2.446\text{ rad sec}^{-1}$; then $\omega_{TLD} = \omega_{TLDETC} = 2.446\text{ rad sec}^{-1}$ is given. In this case, $A_{TLD} = 5.073\text{ m}$, $B_{TLD} = 4.804\text{ m}$ are obtained. The increasing amplitude of sloshing damping ratio between TLDETC and TLD under different excitation frequencies in this scheme is presented in Fig. 4.

As shown in Fig. 4, the damping characteristics of TLDETC is similar to the case of Scheme 1. In this scheme, the maximal increasing amplitude of damping ratio reaches up to about 1.29% which happens when the external excitation $\omega \approx 2.093\text{ rad sec}^{-1}$.

The results of the numerical simulation indicate that the sloshing damping ratio produced by TLDETC is greater than that produced by TLD (Tanaka and Mak, 1983; Fulin *et al.*, 1993; Fulin, 1997).

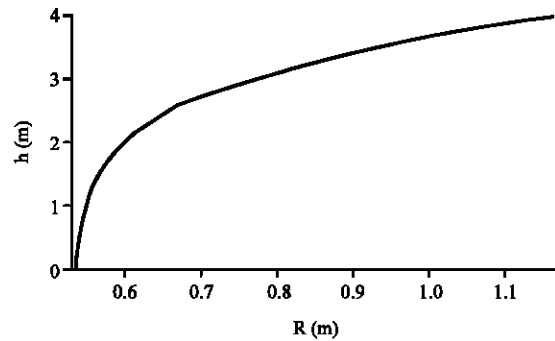


Fig. 2: Relationship between R and h (Scheme 1)

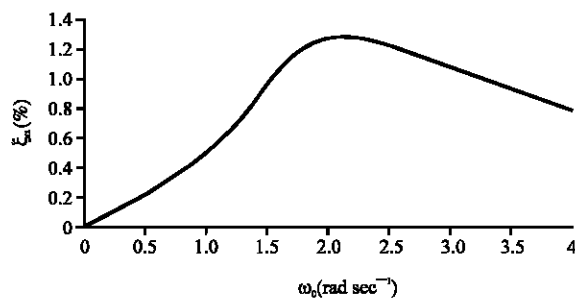


Fig. 3: Additional damping ratio of TLDETC (Scheme 1)

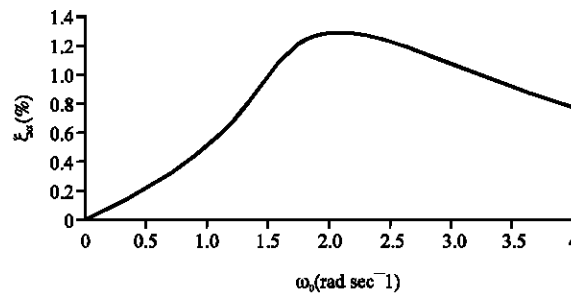


Fig. 4: Additional damping ratio of TLDETC (Scheme 2)

CONCLUSION

- A new type of TLD device-TLDETC is presented in this paper. The additional sloshing damping ratio of TLDETC when liquid flows through the transverse cylinder is obtained by combining the hydrodynamics theory and energy method, then the optimal additional sloshing damping ratio is also discussed
- The comparison analysis of damping characteristics between TLDETC and ordinary TLD are made through two different setting schemes. Analysis results indicate that the sloshing damping ratio produced by TLDETC is greater than that produced by TLD, which means the damping performance of TLDETC outperforms that of ordinary TLD

REFERENCES

- Fulin, Z., Y. Gonghua, L. Xiangzhen and Z. Wei, 1993. Research, application and development of seismic response damping control system for structure. *Steel Constr.*, 8: 3-10.
- Fulin, Z., 1997. *Seismic Control of Structures*. Seismological Press, Beijing.
- Haroun, M.A. and J.A. Pires, 1994. Active orifice control in hybrid liquid column dampers. *Proceedings of the 1st World Conference on Structural Control*, August 3-5, 1994, Los Angeles, USA., pp: 60-78.
- Housner, G.W., 1957. Dynamic pressures on accelerated fluid containers. *Bull. Seismol. Soc. Am.*, 47: 15-35.
- Lan, W.W., 2001. Study on the effectiveness of MTLDs in suppressing the earthquake-induced motions in highrise building. *World Infor. Earthquake Engin.*, 17: 59-64.
- Soong, T.T. and G.F. Dargush, 1997. *Passive Energy Dissipation System in Structural Engineering*. John Wiley and Sons, New York, ISBN: ISBN-13: 978-0471968214.
- Tanaka, H. and C.Y. Mak, 1983. Effect of tuned mass dampers on wind induced response of tall buildings. *J. Wind Eng. Ind. Aerodyn.*, 14: 357-368.
- Warnitchai, P., Pinkaew, T., 1998. Modelling of liquid sloshing in rectangular tanks with flow-dampening devices. *Engineering Structures* 20, 593-600.
- Xu, Y.L., B. Samali and K.C.S. Kwok, 1992. Control of along-wind response of structure by mass and liquid dampers. *ASCE J. Engin. Mech.*, 118: 20-39.
- Zhenan, L., Q. Weilian and Y. Haiqing, 1993. Optimal design of mode control of U-shaped water tank on structural earthquake responses of high building. *J. Wuhan Univ. Technol.*, 15: 81-85.